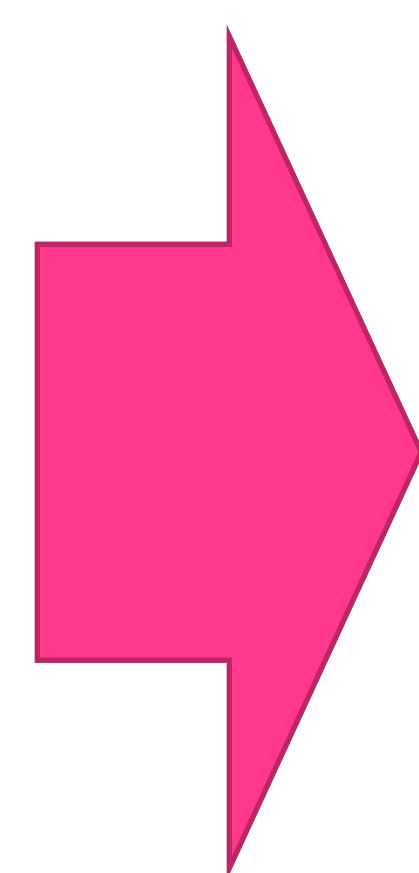


# Consensus Region Merging for Image Segmentation

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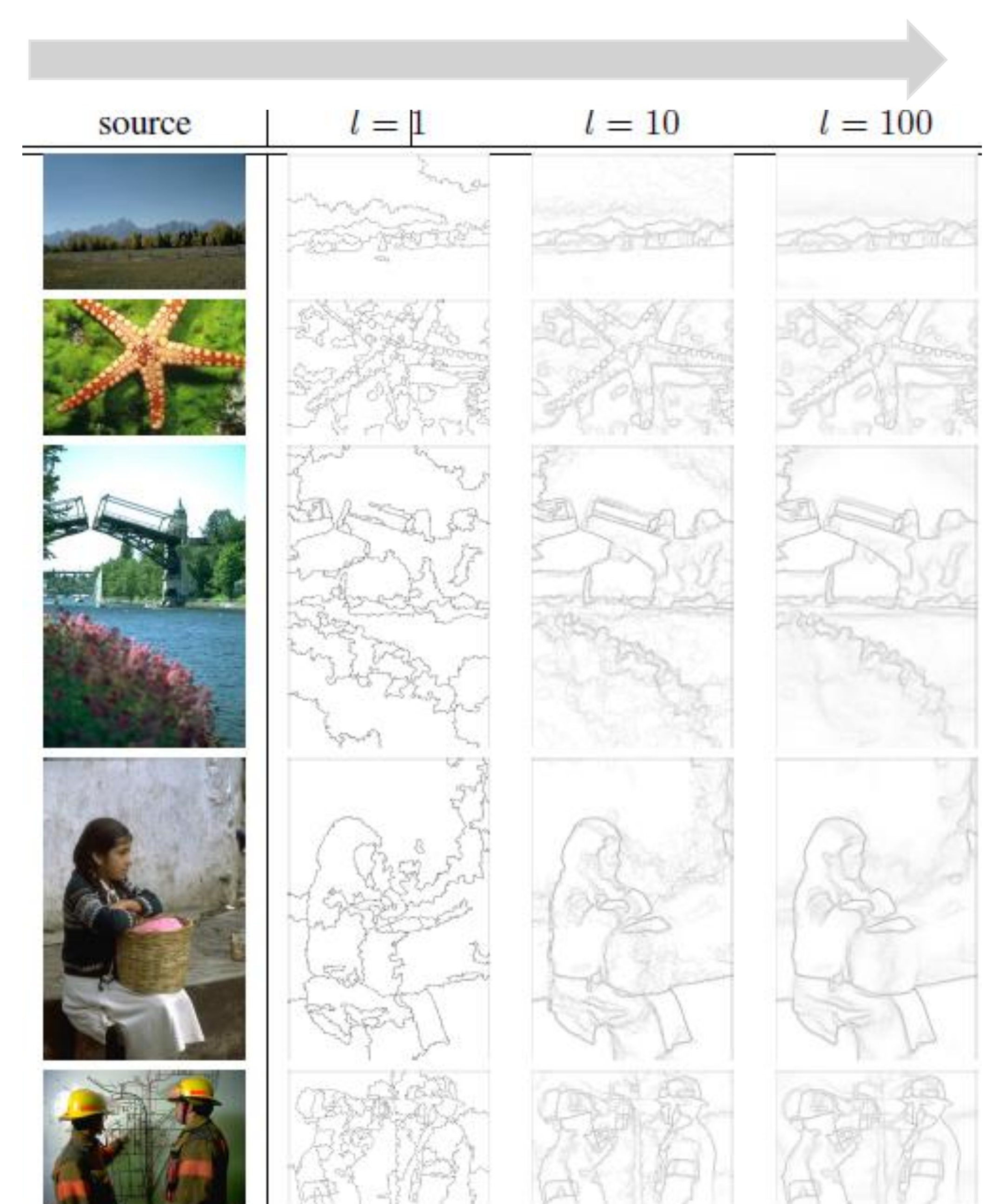
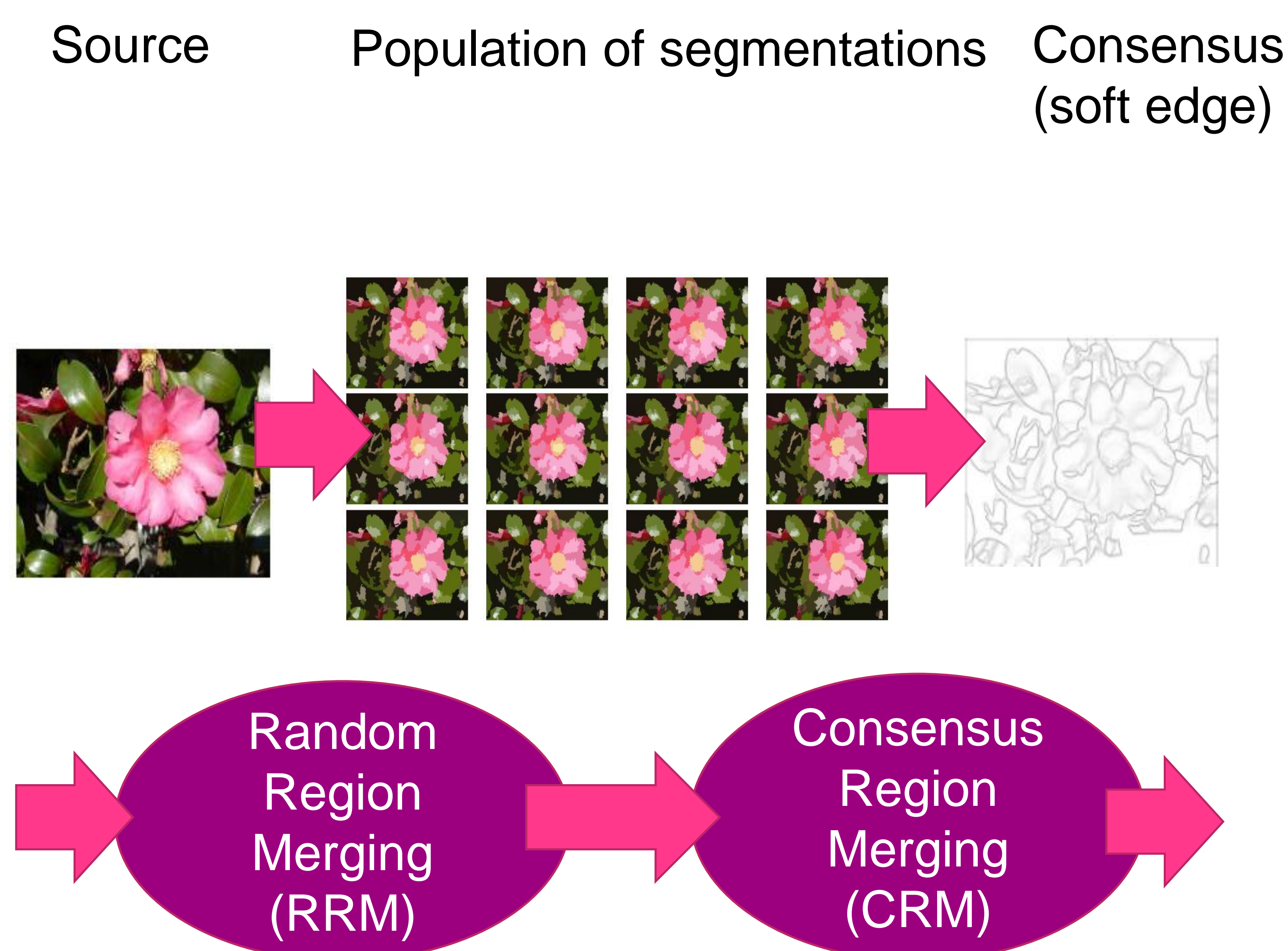
How can we design a segmentation algorithm  
that keeps improving with time?

Randomized algorithm



Population of segmentations

Then perform a **consensus** on the population (soft edge contour)



## Algorithm 2 Random Region Merging (RRM)

```
// Input: Graph  $G = (V, E)$ 
Let queue  $Q$  be a random permutation of  $E$ 
// Greedy region merging segmentation
while  $Q \neq \emptyset$  do
   $e = (a, b) \leftarrow Q.\text{head}()$ 
  // Use disjoint set data-structure
   $R_a \leftarrow \text{FindRegion}(a)$ 
   $R_b \leftarrow \text{FindRegion}(b)$ 
  if  $(R_a \neq R_b)$  and  $\boxed{\text{RandomPredicate}(R_a, R_b)}$  then
    // Merge the two regions
    Merge( $R_a, R_b$ )
  end if
end while
```

$$\text{RandomPredicate}(R_a, R_b) = \begin{cases} \text{true} & \text{if } |I_a - I_b| < \frac{255U}{\log \max(n_a, n_b)}, \\ \text{false} & \text{otherwise.} \end{cases}$$

## Algorithm 3 Consensus Region Merging CRM

```
// Input: Graph  $G = (V, E)$  and  $l$  number of segmentations
for  $i = 1$  to  $l$  do
  Perform a random region merging segmentation RRM( $G$ )
  Each time an edge  $e$  is merged, add 1 to  $n_e$ 
end for
// Export hard consensus segmentation
Build a weighted graph  $G = (V, E, w)$  with  $w_e = n_e \times |I_a - I_b|$ , the number of times edge  $e$  was merged
// Output 1: A segmentation
Call graph region merging on  $G$ .
// Output 2: A soft contour map
Let  $s_v = 0 \forall v \in V$  // Strength of belonging to a contour
for  $e = (a, b) \in E$  do
   $s_a \leftarrow s_a + w_e$ 
   $s_b \leftarrow s_b + w_e$ 
end for
// Rescale for exporting contour map
for  $v \in V$  do
   $I_v = 255 \frac{s_v}{l}$ 
end for
```