

## Introduction

### Graph-of-Words (GoW) fundamentals:

- statistical approach based on the **Distributional Hypothesis**
- edge between two terms if they **co-occur** within a **fixed-size sliding window**
- encodes **term dependence** strength (via edge weights) and **term order** (via edge direction)
- enables **graph theory** to be applied to text
- **linear** in time and space (resp.  $O(nW)$ ,  $O(n + m)$ )

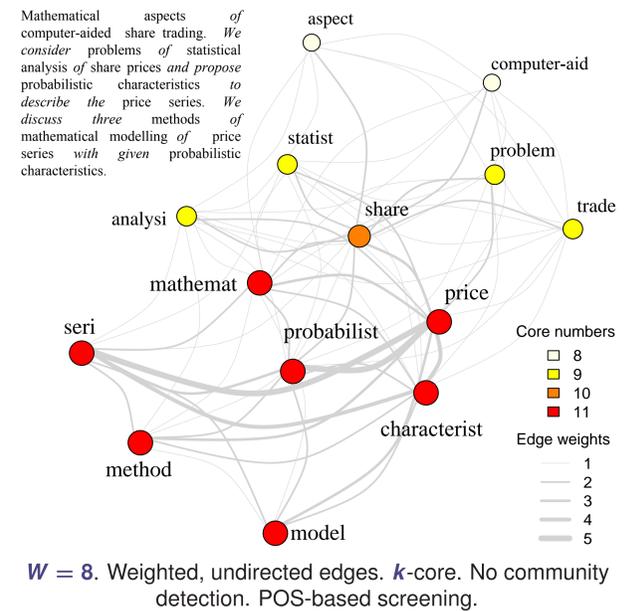
### GoW proved highly successful:

- keyword extraction and summarization [Mihalcea & Tarau 2004, Rousseau & Vazirgiannis 2015]
- information retrieval [Rousseau & Vazirgiannis 2013]
- document classification [Malliaros & Skianis 2015, Rousseau et al. 2015]
- and more...

### Motivation for GoWvis:

- GoW can be used to improve almost any NLP task...
- ... but it has many pre-processing, graph building, and graph mining parameters

↪ **there are needs to interactively explore the parameter space**



## I. Text pre-processing

- **Keep only nouns and adjectives?** Boolean, defaults to TRUE
- **Remove SMART stopwords?** Boolean, defaults to TRUE
- **Stemming?** Boolean, defaults to TRUE. If used, tends to yield smaller and denser graphs.

↪ The surviving terms are used as the nodes of the graph-of-words

## II. Graph building

- **Window size.** Integer between **2** and **12**, defaults to **3**. The larger the window, the denser the graph.
- **Build on processed text?** Boolean, defaults to TRUE. If used, tends to link more distant words and produce denser graphs.
- **Overspan sentences?** Boolean, defaults to TRUE. If FALSE, two words can only co-occur if they belong to the same sentence.

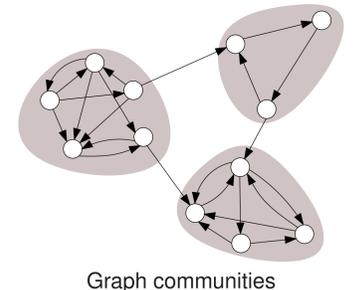
## III. Graph mining: community detection

**Goal:** cluster the graph-of-words into groups within which connections are dense and between which they are sparse

↪ The clusters match the **topics** and **sub-topics** within the document

**In practice:** retaining only the **main communities** improves **coverage** and removes **noise**

- **Algorithm?** List, defaults to "none". Choices are "fast greedy", "louvain", "walktrap", "infomap", "label prop" and "none"
- **Size threshold?** Numeric (from **0.4** to **1.0**, by **0.1**), defaults to **0.8**. Percentile size threshold used to determine which communities should be considered to be **main** ones.
- **Weighted?** Boolean, defaults to FALSE. Whether edge weights should be used.
- **Directed?** Boolean, defaults to FALSE. Whether edge direction should be used (only available for "infomap").

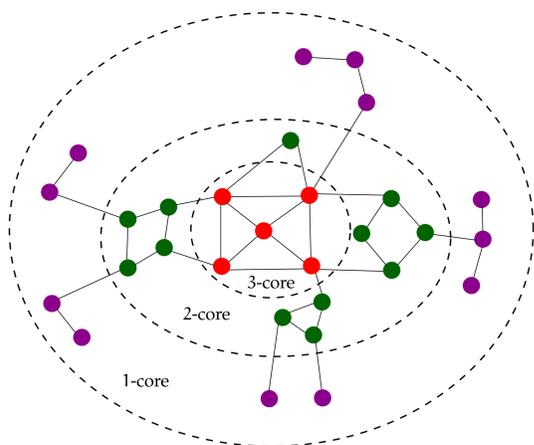


Graph communities

## IV. Graph mining: degeneracy

### K-CORE DECOMPOSITION

- a  $k$ -core of  $G = (V, E)$  is a maximal connected subgraph of  $G$  in which every vertex  $v$  has at least degree  $k$  [Seidman 1983]
- $v$  has **core number**  $k$  if it belongs to the  $k$ -core but not to the  $(k + 1)$ -core
- the  $k$ -core decomposition of  $G$  is the set of all its cores from 0 ( $G$  itself) to  $k_{max}$  (its main core)
- **complexity:**  $O(n + m)$  resp.  $O(m \log(n))$  in time in the (un)weighted cases,  $O(n)$  in space [Batagelj & Zaveršnik 2002]

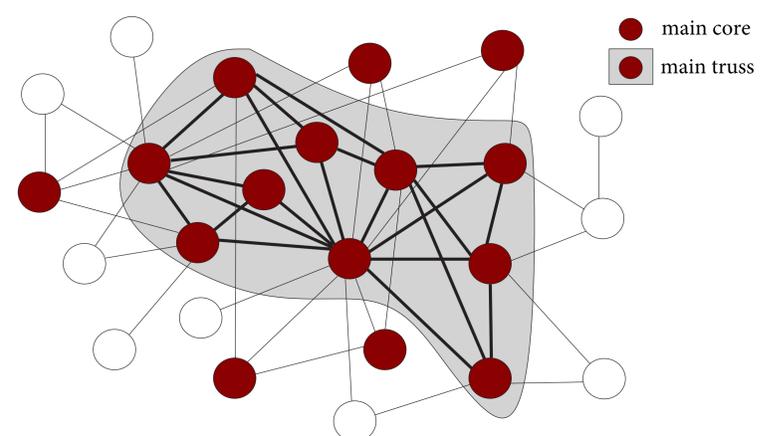


$k$ -core decomposition

- hierarchy of nested subgraphs whose cohesiveness and size respectively  $\nearrow$  and  $\searrow$  with  $k$
- nodes with high core numbers are not only **central** but form **cohesive subgraphs** with other central nodes
- ↪ they make influential spreaders [Kitsak 2010] and good keywords [Rousseau 2015]

### K-TRUSS DECOMPOSITION

- a  $k$ -truss of  $G = (V, E)$  is the largest subgraph of  $G$  in which every edge  $e$  belongs to at least  $k - 2$  triangles [Cohen 2008]
- $e$  has **truss number**  $k$  if it belongs to the  $k$ -truss but not to the  $(k + 1)$ -truss
- the **truss number** of  $v$  is the maximum truss number of its adjacent edges
- the  $k$ -truss decomposition of  $G$  is the set of all its  $k$ -trusses from  $k - 2$  to  $k_{max}$
- **complexity:**  $O(m^{1.5})$  in time and  $O(m + n)$  in space [Wang & Cheng 2012]



$k$ -core versus  $k$ -truss

- compared to  $k$ -core,  $k$ -truss imposes constraints not only on the number of **direct links** but also on the number of **common neighbors**
- the  $k$ -trusses can be viewed as the cores of the  $k$ -cores that filter out the less cohesive elements [Wang and Cheng 2012]
- ↪ nodes with high truss numbers are **more influential** (compared to  $k$ -core) [Malliaros et al. 2016]