

## APPENDICE A

# Un exemple de session en Scratchpad II

On donne à titre d'exemple une session de démonstration qui illustre les possibilités offertes par l'implantation réalisée en Scratchpad II des méthodes décrites au chap. V § 5.

```
)r demo1
  reading file DEMO1 INPUT A1
  Scratchpad
)lo comp idpack structls

  loading COMP LISPLIB A1 for package ConvPack
  library COMP has been loaded and is now exposed.
  loading IDPACK LISPLIB A1 for package IdentifiabilitePackage
  library IDPACK has been loaded and is now exposed.
  loading STRUCTLS LISPLIB A1 for domain StructureLineaireStationnaire
  library STRUCTLS has been loaded and is now exposed.
)time on

St:=STRUCTLS
  loading LIBNAME LISPLIB K2 for domain LibraryName
  loading FNAME LISPLIB K2 for domain FileName
  loading RF LISPLIB K2 for domain RationalFunction
  loading KAF LISPLIB K1 for domain KeyedAccessFile

(1) STRUCTLS

Type: DOMAIN .536 (IN) + 7.138 (OT) = 7.674 sec

-- comment entrer une structure

strSimp:=new(2,1,1,[th1,th2,th3])$St

(2)
dX |0 0| |0|
--= | |X + | |U
dt |0 0| |0|
Y = [0 0]X
Parametres internes = [th1,th2,th3]
```

```

Type: STRUCTLS .283 (IN) + .234 (EV) + .297 (OT) = .814 sec

-- echange entre compartiments

etat(strSimp,1,2,th1)

(3)
dX |- th1  0|   |0|
---= |           |X + | |U
dt  | th1  0|   |0|
Y = [0  0]X
Parametres internes = [th1,th2,th3]

Type: STRUCTLS .349 (IN) + .017 (EV) + .134 (OT) = .5 sec

etat(strSimp,2,1,th2)

(4)
dX |- th1  th2 |   |0|
---= |           |X + | |U
dt  | th1  - th2|   |0|
Y = [0  0]X
Parametres internes = [th1,th2,th3]

Type: STRUCTLS .075 (IN) + .017 (EV) + .028 (OT) = .12 sec

-- sortie du systeme
etat(strSimp,2,th3-th2)

(5)
dX |- th1  th2 |   |0|
---= |           |X + | |U
dt  | th1  - th3|   |0|
Y = [0  0]X
Parametres internes = [th1,th2,th3]

Type: STRUCTLS .203 (IN) + .036 (EV) + .1 (OT) = .339 sec
-- on commande le compartiment 1 com(strSimp,1,1,1)

(6)
dX |- th1  th2 |   |1|
---= |           |X + | |U
dt  | th1  - th3|   |0|
Y = [0  0]X
Parametres internes = [th1,th2,th3]

Type: STRUCTLS .1 (IN) + .016 (EV) + .082 (OT) = .199 sec

-- on observe le compartiment 1
obs(strSimp,1,1,1)

(7)
dX |- th1  th2 |   |1|
---= |           |X + | |U
dt  | th1  - th3|   |0|
Y = [1  0]X
Parametres internes = [th1,th2,th3]

Type: STRUCTLS .056 (IN) + .016 (EV) + .088 (OT) = .16 sec

```

-- voici la structure strSimp

```
(8)
dX |- th1  th2 |   |1|
---|           |X + | |U
dt | th1  - th3|   |0|
Y = [1  0]X
Parametres internes = [th1,th2,th3]
```

Type: STRUCTLS .004 (IN) + .024 (OT) = .027 sec

-- calcul du resume exhaustif pour la matrice de transfert  
resumExhTransfert strSimp

```
(9) [th3,1,1,th3 + th1,th1 th3 - th1 th2]
```

Type: L P I .021 (IN) + 1.737 (EV) + .239 (OT) = 1.996 sec

-- test d'identifiabilite

```
identifiable?(strSimp,"Transfert")
loading NDMP LISPLIB K1 for domain
NewDistributedMultivariatePolynomial
loading NDP LISPLIB K1 for domain NewDirectProduct
loading OV LISPLIB K1 for domain OrderedVarlist
loading GB LISPLIB K1 for package GroebnerPackage
loading GBINTERN LISPLIB K1 for package GroebnerInternalPackage
```

```
(10) true
```

Type: B .094 (IN) + 8.584 (EV) + 5.198 (OT) + 2.04 (GC) = 15.916 sec

-- observation d'un bestiaire

-- exemples tires de la these de Y. Lecourtier, stockes sur disque  
liLec:=liste("Lecourt these a")\$St

```
(11)
["methane p. 13", "exemple simple p. 31", "chimiotherapie p. 41", "p. 45",
"p. 47", "premier passage p. 106", "premier passage theta5 = 0",
"discernabilite exemple M p. 124", "discernabilite exemple M' p. 124"]
```

Type: L S .096 (IN) + .467 (EV) + .179 (OT) = .742 sec

-- Un exemple: effet de premier passage d'un medicament

-- Voir ex. V.5.1.1

pp1:=get("Lecourt these a",liLec.6)\$St

```
(12)
|- th2 - th1  0  0 |   |1|
dX |           |   | |
---| th1      - th3  0 |X + |0|U
dt |           |   | |
   | th2      th3  - th4|   |0|

|0 th6  0 |
Y = |       |X
```

```

|0 0 th7|

Parametres internes = [th1,th2,th3,th4,th6,th7]

Type: Union(STRUCTLS,"failed")
      .654 (IN) + .122 (EV) + .333 (OT) = 1.11 sec

resumExhTransfert pp1

(13)
[(th2 + th1)th3 th7, th2 th7, 1, th4 + th3 + th2 + th1,
 (th3 + th2 + th1)th4 + (th2 + th1)th3, (th2 + th1)th3 th4, th1 th6, 1,
 th3 + th2 + th1, (th2 + th1)th3]

Type: L P I .026 (IN) + .648 (EV) + .038 (OT) = .712 sec

identifiable?(pp1,"Transfert")

(14) false

Type: B.06 (IN) + 3.584 (EV) + .027 (OT) = 3.671 sec

-- Regardons la base standard
par:=lParms(pp1)$St

(15) [th1,th2,th3,th4,th6,th7]

Type: L E .095 (IN) + .015 (EV) + .116 (OT) = .226 sec
ndmp:=NDMP(par,RF(I))

(16) NDMP([th1,th2,th3,th4,th6,th7],RF I)

Type: DOMAIN .088 (IN) + .062 (OT) = .15 sec

std:=zap(stdT(pp1))$ZAP(L E, L ndmp)
loading ZAP LISPLIB K2 for package ZweitypeAlterationPackage

(17)
      2
      2 (- Th3 + Th2 - Th1)Th6      Th1 Th6
[th6 + ----- th6 + -----,
      Th3 - Th2      Th3 - Th2

      Th3 - Th2
th1 + ----- th6 - Th3 + Th2 - Th1, th2 - Th2,
      Th6

      - Th3 + Th2
th3 + ----- th6 - Th2, th4 - Th4, th7 - Th7]
      Th6

Type: L NDMP([th1,th2,th3,th4,th6,th7],RF I)
      .172 (IN) + .037 (EV) + .597 (OT) = .805 sec

std.0

```

```

2
(18)  th62 + ----- th6 + -----
          Th3 - Th2                Th3 - Th2

Type: NDMP([th1,th2,th3,th4,th6,th7],RF I)
      .46 (IN) + .018 (EV) + .101 (OT) = .579 sec

-- d'apres la forme de la base standard, il y a deux solutions.
-- un exemple de discernabilite
dis1:St:=get("Lecourt these a","p. 45")$St

(19)
dX | - th1      th2 | |1|
--= |           |X + | |U
dt |- th3 + th1 - th2| |0|
Y = [1 0]X
Parametres internes = [th1,th2,th3]

Type: STRUCTLS .097 (IN) + .104 (EV) + .044 (OT) = .246 sec
dis2:St:=get("Lecourt these a","p. 47")$St

(20)
dX | - th1      th2| |1|
--= |           |X + | |U
dt |- th3 + th1 - 1| |0|
Y = [1 0]X
Parametres internes = [th1,th2,th3]

Type: STRUCTLS .078 (IN) + .103 (EV) + .041 (OT) = .223 sec

Un exemple de discernabilite (voir V.5.2)
distingable?(dis1,dis2,"Transfert")

(21) true

Type: Union(B,"failed") .077 (IN) + .32 (EV) + .092 (OT) = .488 sec
distingable?(dis2,dis1,"Transfert")

(22) false

Type: Union(B,"failed") .064 (IN) + .09 (EV) + .021 (OT) = .175 sec
0 total errors

Le fichier suivant correspond au traitement complet de l'exemple V.5.1.2.
)r demo2
  reading file DEMO2 INPUT A1
  Scratchpad

)time on
St:=STRUCTLS

(23) STRUCTLS

Type: DOMAIN .096 (IN) + .262 (OT) = .358 sec
liRak:=liste("Raksanyi these a")$St

```

(24)

```
["Synthese de l'ammoniacp. 117", "premier passage p. 121",
```

```
"synthese de l'amoniac p. 117", "ammoniac", "ammoniac p. 115"]
```

```
Type: L S .138 (IN) + .489 (EV) + .433 (OT) = 1.06 sec
Ammon:St:=get("Raksanyi these a",liRak.0)$St
```

(25)

```
dX
--= matrix1 X + matrix2 U
dt
Y = matrix3 X
Parametres internes = [f2,v13,v21,v31,v32]
```

```
where matrix1 =
```

```
[[ - f1 v31 - f1 v21 - f1 v01, f1 v12, f1 v13, 0, 0],
 [ f2 v21, - f2 v32 - f2 v12, f2 v23, 0, 0],
 [ f3 v31, f3 v32, - f3 v43 - f3 v23 - f3 v13, f3 v34, 0],
 [ 0, 0, f4 v43, - f4 v54 - f4 v34, f4 v45],
 [ 0, 0, 0, f5 v54, - f5 v45 - f5 v05]]
```

```
and matrix2 =
```

```
| 0 |
| |
| 0 |
| |
| 0 |
| |
| 0 |
| |
| 0 |
| |
| 1 |
```

```
and matrix3 =
```

```
| 0 0 0 0 1 |
|           |
| 1 0 0 0 0 |
```

```
Type: STRUCTLS .738 (IN) + .161 (EV) + .279 (OT) = 1.178 sec
matA:=a Ammon;
```

```
Type: VOID .046 (IN) + .015 (EV) + .023 (OT) = .084 sec
```

```
-- On tient compte du fait que le systeme est stationnaire,
-- et qu'il y a donc des relations lineaires entre les parametres :
-- v45 = v01+-v54, v34 = v43+v01, v23 = v32+v01+v31-v13,
-- v12 = v01+v21+v31-v13, v = v01+v05.
```

```
for i in 0..2 repeat
  for j in 0..2 repeat
    matA.i.j:= eval(matA.i.j, [v45,v34,v23,v12,v],
                    [v01+v54,v43+v01,v32+v01+
```

```
v31-v13,v01+v21+v31-v13,v01+v05])
```

```
Type: VOID 3.319 (IN) + 2.967 (EV) + .886 (OT) = 7.172 sec

-- Compte tenu de la forme particuliere de la structure,
-- un resume exhaustif s'obtient en considerant les coefficients
-- des polynomes caracteristiques des sous matrices principales
-- d'ordre 2 et 3

matA3Rf:M RF I:= new(3,3,0$RF(I));

Type: VOID .276 (IN) + .027 (EV) + .282 (OT) = .585 sec for i in 0..2 repeat
for j in 0..2 repeat
    matA3Rf.i.j:= matA.i.j

Type: VOID
14.928 (IN) + 1.664 (EV) + 1.036 (OT) + 2.22 (GC) = 19.848 sec

carF:= characteristicpol matA3Rf;
loading EP LISPLIB K1 for package EigenPackage
loading SOLVERAD LISPLIB K1 for package RadicalSolvePackage
loading Q2ZPOLY LISPLIB K2 for package RationalToIntegerPolynomial
loading RE LISPLIB K2 for domain RadicalExtension
loading SR LISPLIB K2 for domain SortedRadicals
loading DEGRED LISPLIB K2 for package DegreeReductionPackage
loading SOLVEFOR LISPLIB K1 for package PolynomialSolveByFormulas
loading EQ LISPLIB K2 for domain Equation
loading SY LISPLIB K1 for domain Symbol
loading SUCH LISPLIB K2 for domain SuchThat

Type: VOID .189 (IN) + 4.728 (EV) + 17.681 (OT) + 4.55 (GC) = 27.147 sec

-- Quelle horreur, pour calculer un polynome caracteristique...

carP:P I:=numer carF;

Type: VOID .204 (IN) + .016 (EV) + .053 (OT) = .274 sec
carSUP:= likeUniv(carP,%A);

Type: VOID .142 (IN) + .148 (EV) + .047 (OT) = .337 sec
resum3:=listCoef carSUP

(33)

...

Type: L P I .046 (IN) + .016 (EV) + .162 (OT) = .224 sec
matA2Rf:M RF I:= new(2,2,0$RF(I));

Type: VOID .221 (IN) + .28 (EV) + .083 (OT) = .584 sec

for i in 0..1 repeat
for j in 0..1 repeat
    matA2Rf.i.j:= matA.i.j

Type: VOID 1.455 (IN) + .866 (EV) + .119 (OT) = 2.439 sec

carF:= characteristicpol matA2Rf;
```

```

Type: VOID .055 (IN) + .785 (EV) + .018 (OT) = .857 sec
carP:P I:=numer carF;

Type: VOID .087 (IN) + .017 (EV) + .024 (OT) = .128 sec
carSUP:= likeUniv(carP,%B);

Type: VOID .118 (IN) + .05 (EV) + .015 (OT) = .183 sec
resum2:=listCoef carSUP

(39)
...

Type: L P I .039 (IN) + .018 (EV) + .045 (OT) = .102 sec
resum:= append(resum2,resum3)

(40)
...

Type: L P I .107 (IN) + .019 (EV) + .109 (OT) = .235 sec
resumExhSpecial(Ammon,resum);

Type: VOID .038 (IN) + .017 (EV) + .071 (OT) = .126 sec
changeLE(Ammon,[v13,v21,v31,v32,f2])$St;

Type: VOID .307 (IN) + .309 (EV) + .088 (OT) = .704 sec
identifiable?(Ammon,"Special")$St

(43) false

Type: B .093 (IN) + 46.711 (EV) + 1.279 (OT) + 10.182 (GC) = 58.265 sec
par:=lParms(Ammon)$St;

Type: VOID .303 (IN) + .303 (EV) + .092 (OT) = .698 sec
ndmp:=NDMP(par,RF(I))

(45) NDMP([v13,v21,v31,v32,f2],RF I)

Type: DOMAIN .092 (IN) + .118 (OT) = .21 sec
std:=zap(stdS(Ammon))$ZAP(L E, L ndmp)

(46)
...

Type: L NDMP([v13,v21,v31,v32,f2],RF I)
      .184 (IN) + .036 (EV) + .399 (OT) = .619 sec

lIn:=[degree pol for pol in std]

```



(47)

[[1,1,0,0,0], [0,2,0,0,0], [1,0,0,1,0], [1,0,0,0,1], [0,1,0,0,1],  
[0,0,0,1,1], [0,0,1,0,0]]

Type: L NDP(5,NNI) .088 (IN) + .704 (EV) + .375 (OT) = 1.166 sec

On récupère ainsi la liste des multidegrés des monômes de tête, et l'on en conclut qu'il y a une infinité de solutions, car l'idéal est de dimension 1.